By \( x'.2 \).

It is the effect of \( x' \) on \( y \) not accounted for.

\[
\frac{\text{cov}(y, x')}{\text{cov}(y, x')} \cdot \frac{\text{var}(x')}{\text{var}(y)}
\]

\text{Partial correlation between } y \text{ and } x'.

The correlation between \( y \) and \( x' \) is the

\[
x' = x - \bar{x} \\
\bar{y} - \bar{y} = y - \bar{y}
\]

\text{Form:}

\[
y' = y - c_x x' \\
\text{Regression:}
\]

\[
y = b_0 + b_1 x' + b_2 x^2 + 3
\]

\text{Partial correlation}
\[ LAG 2 ACF = \gamma_2 = a_1 + a_2 \\
= a_1 + a_2 \]

\[ 0 < \left[ \begin{array}{c}
\frac{\text{cov}}{\text{var}} \\
\frac{1 - \gamma_1 + \gamma_3}{\gamma_2^2}
\end{array} \right] < \left[ \begin{array}{c}
\frac{\text{cov}}{\text{var}} \\
\frac{1 - \gamma_1 + \gamma_3}{\gamma_2^2}
\end{array} \right] \Rightarrow \left[ \begin{array}{c}
\frac{\text{cov}}{\text{var}} \\
\frac{1 - \gamma_1 + \gamma_3}{\gamma_2^2}
\end{array} \right] = \left[ \begin{array}{c}
\frac{\text{cov}}{\text{var}} \\
\frac{1 - \gamma_1 + \gamma_3}{\gamma_2^2}
\end{array} \right] = \left[ \begin{array}{c}
\frac{\text{cov}}{\text{var}} \\
\frac{1 - \gamma_1 + \gamma_3}{\gamma_2^2}
\end{array} \right]
\]

\[ LAG 2 ACF = \gamma_2 = a_1 + a_2 \]

Consider the AR(2) process \( x_t = \gamma_1 x_{t-1} + \gamma_2 x_{t-2} + e_t \).
$a, a_2, a_3, \ldots$ are the partial autocorrelations.

\[ \mathbf{E} \varepsilon \]

Let $p = 3$, solve for $q, a_1, a_2, a_3$ and $q_1 \rightarrow q_3 \rightarrow q_5$

Let $p = 2$, solve for $q, a_1, a_2 \rightarrow q_2$

Solve for $a_1 = a_1$ under the assumption $p = 1$

\[ r_p = a_1 r_{p-1} + a_2 r_{p-2} + a_3 r_{p-3} + \cdots + a_p \]

\[ r_3 = a_1 r_2 + a_2 r_1 + a_3 + a_4 r_{p-3} \]

\[ r_2 = a_1 r_1 + a_2 + a_3 r_1 + a_4 r_{p-2} \]

\[ r_1 = a_1 + a_2 + a_3 r_1 + a_4 r_{p-1} \]

In general, for $a_1(r_0)$, we have $p$ equations:
This is the partial autocorrelation function, which is not accounted for by an AR(p-1) model.

Measures the excess correlation at lag p,

where fitting an AR(p) model, the last coefficient

different from zero at the 5% level.

Values outside \( \frac{\sqrt{2/N}}{2/N} \) are significant.

Correct the \( a_i \) when the \( i \)th AR(1) is fitted.

An process of successively higher order.

The sample AC is estimated by filling
Example 2. SAR (1) order 12. \( x_t = 0.7x_{t-1} + \epsilon_t \)
Example 1. $A(1) \implies x = 0.7 + 3$

Example 2. $A(1) \implies x = 0.7 + 3$

Example 3. $A(1) \implies x = 0.7 + 3$
Summary
Search, looking for lowest RSSE forms MA processes similarly, form a grid. Find MA processes

Order

there is little improvement for increased

where curve "platters out" - put

plot against order.

calculate residual sum of squares for each.

Fit AR processes or regressively higher order.

Fitting AR processes